

***DEI Doctoral Research Seminars***

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***Studies to enable end-users to provide  
energy services to the power grid***

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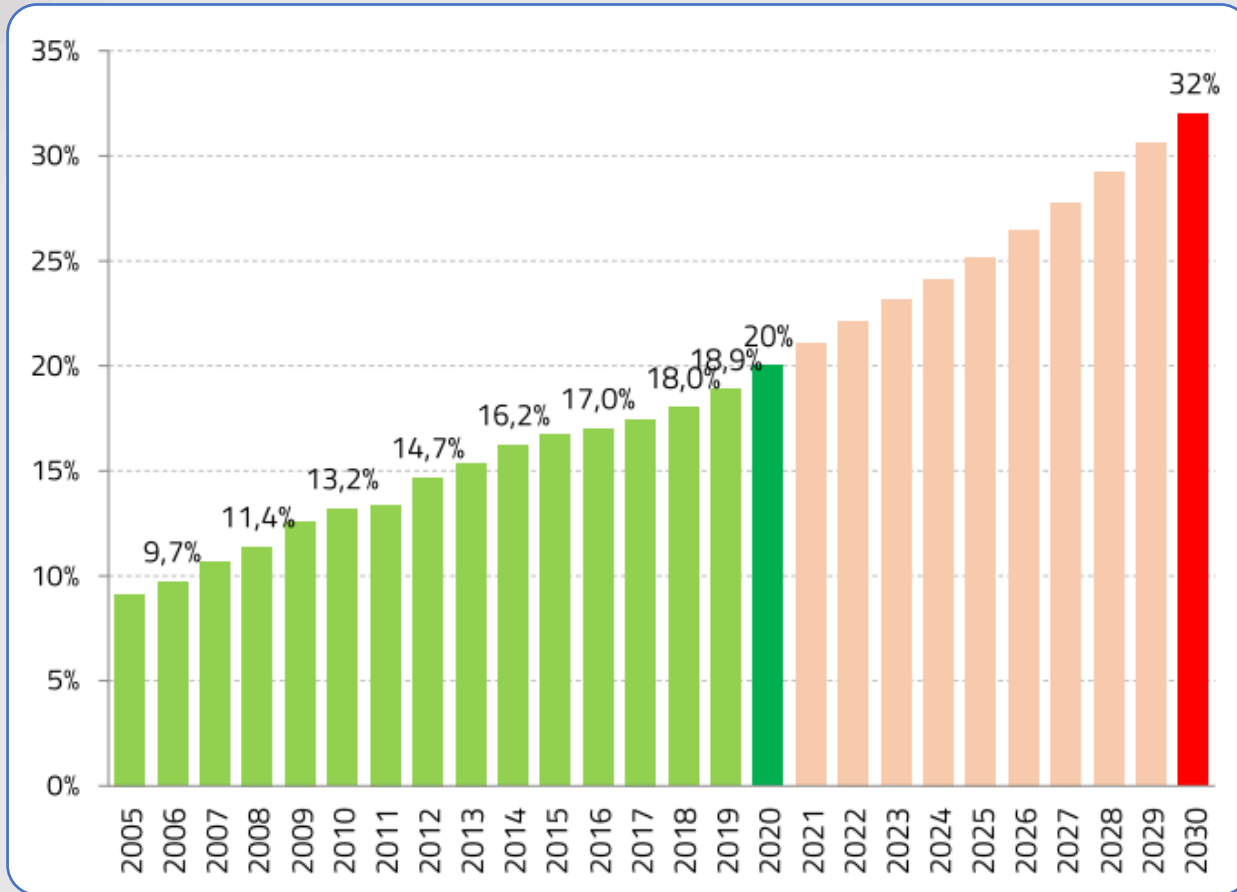
## First part

- *Decarbonization and power grid inertia reduction*
- *A study to provide frequency support to the power grid by hybrid energy storage systems*

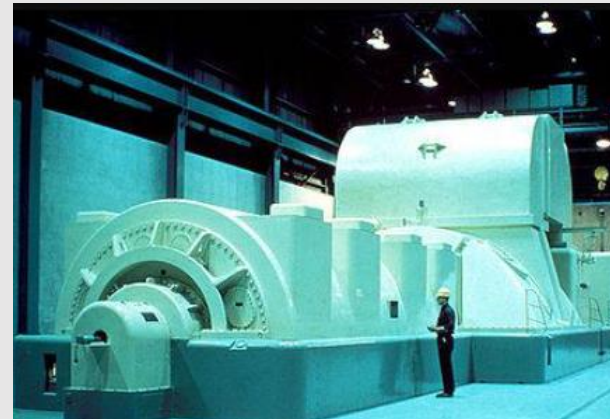
## Second part

- *Italian small-islands and differences in frequency regulation*
- *A study to provide frequency support to a small-islanded microgrid by lightning systems*

Trajectory of the portion of overall energy consumption covered by RES up to 2030 in EU (%)



*increase in inverter-based installations*



*reduction of rotating generators*

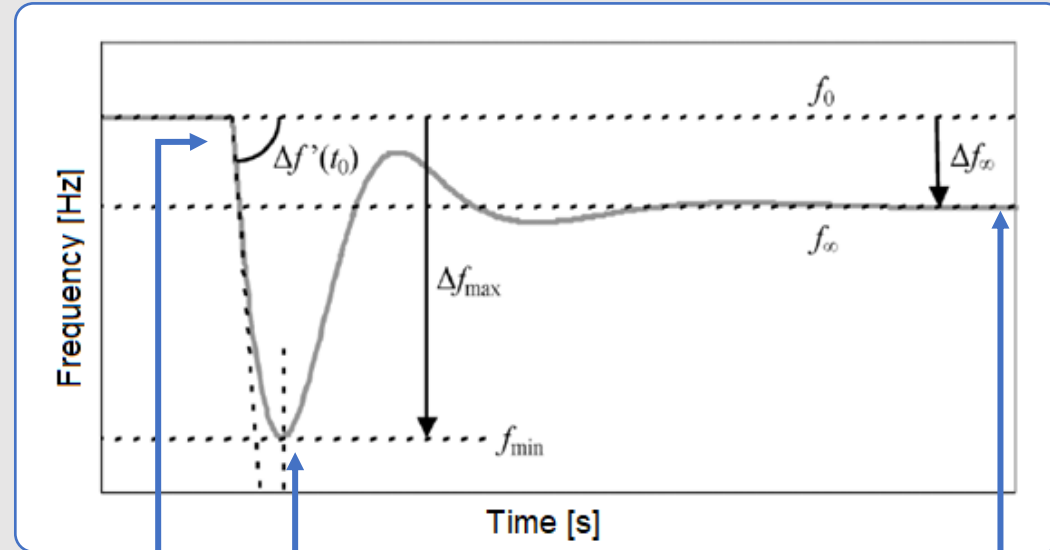
Reduction of rotating generator



Reduction of total system inertia



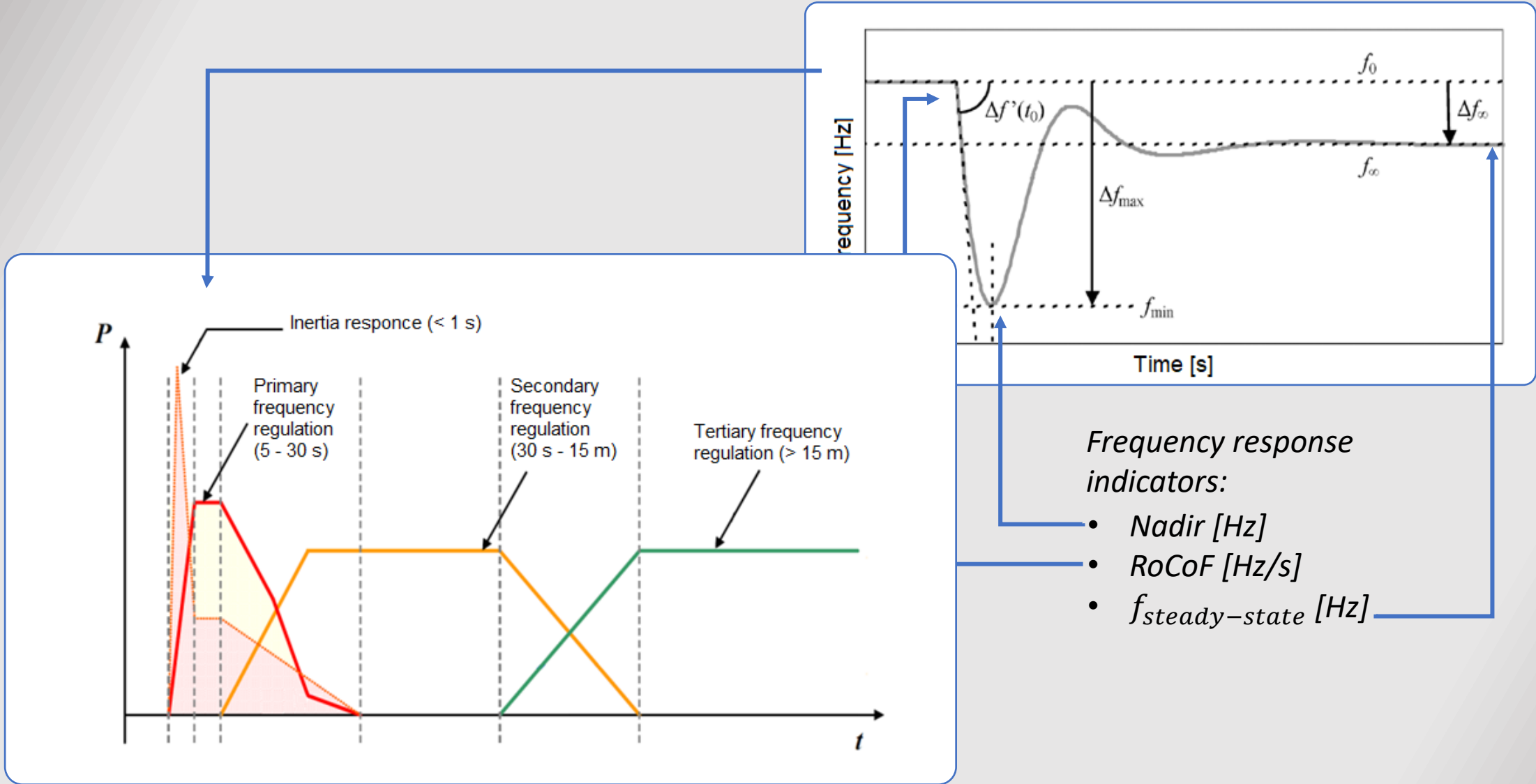
- Higher frequency excursions for little power imbalance
- More oscillations during frequency transients
  - Higher RoCoF after a contingency



Frequency response indicators:

- Nadir [Hz]
- RoCoF [Hz/s]
- $f_{steady-state}$  [Hz]

$$RoCoF|_{t=0^+} = \frac{\Delta P_{imbalance}}{P_{LOAD}} \cdot \frac{f_0}{2 \cdot H}$$



*Synchronous condensers can be installed to increase the total system inertia, but with the drawback of increasing system costs and complexity.*

*Another possibility is to provide fast frequency support with inverter-based resources.*

*The actions to counteract the effect of reduced system inertia are as following:*

## Synthetic Inertia

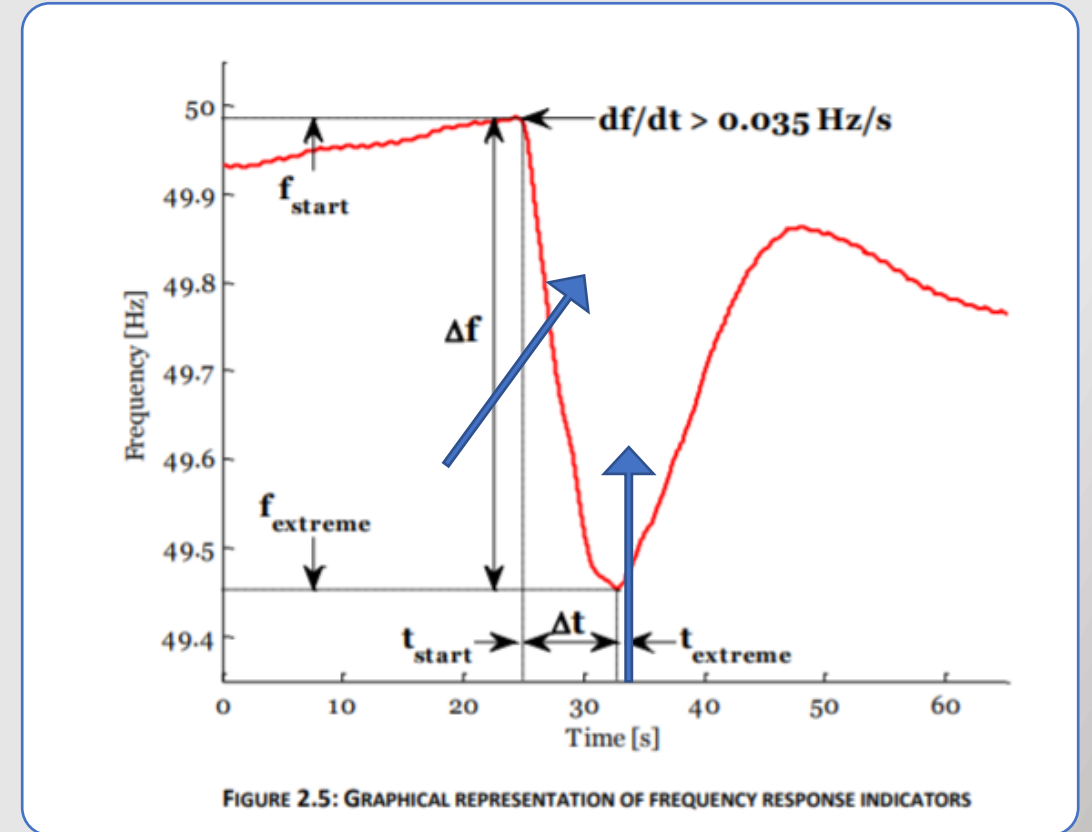
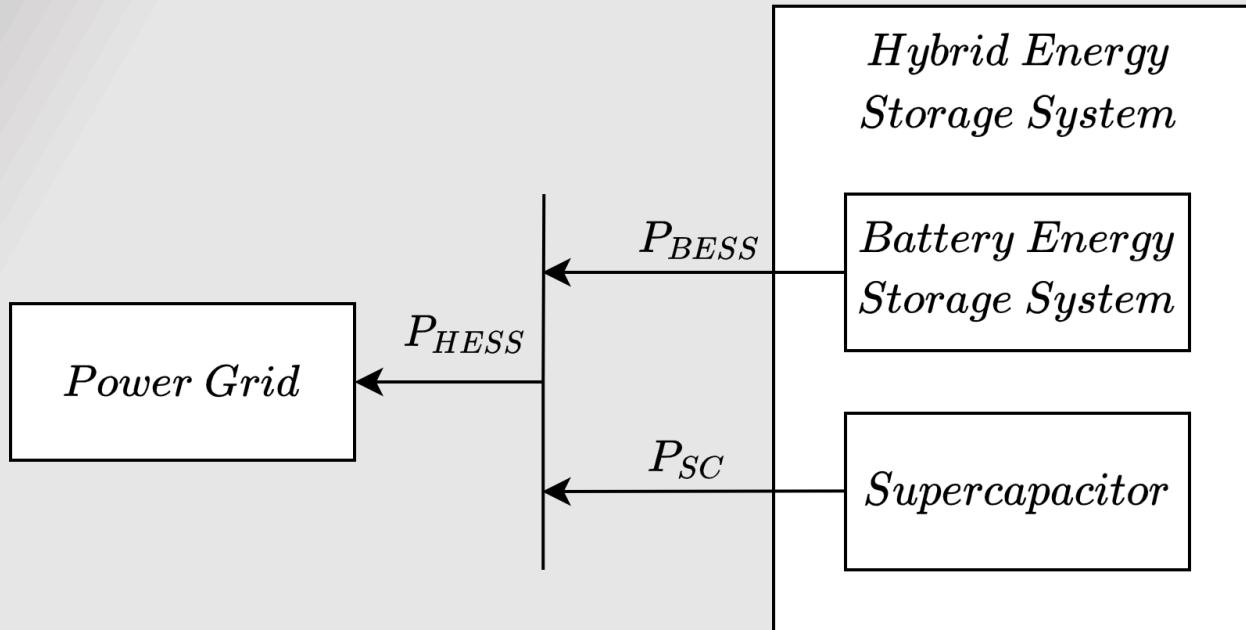
*Synthetic inertia is defined as the controlled contribution of electrical power from a unit that is proportional to the RoCoF at the terminals of the unit.*

## Fast Frequency Response

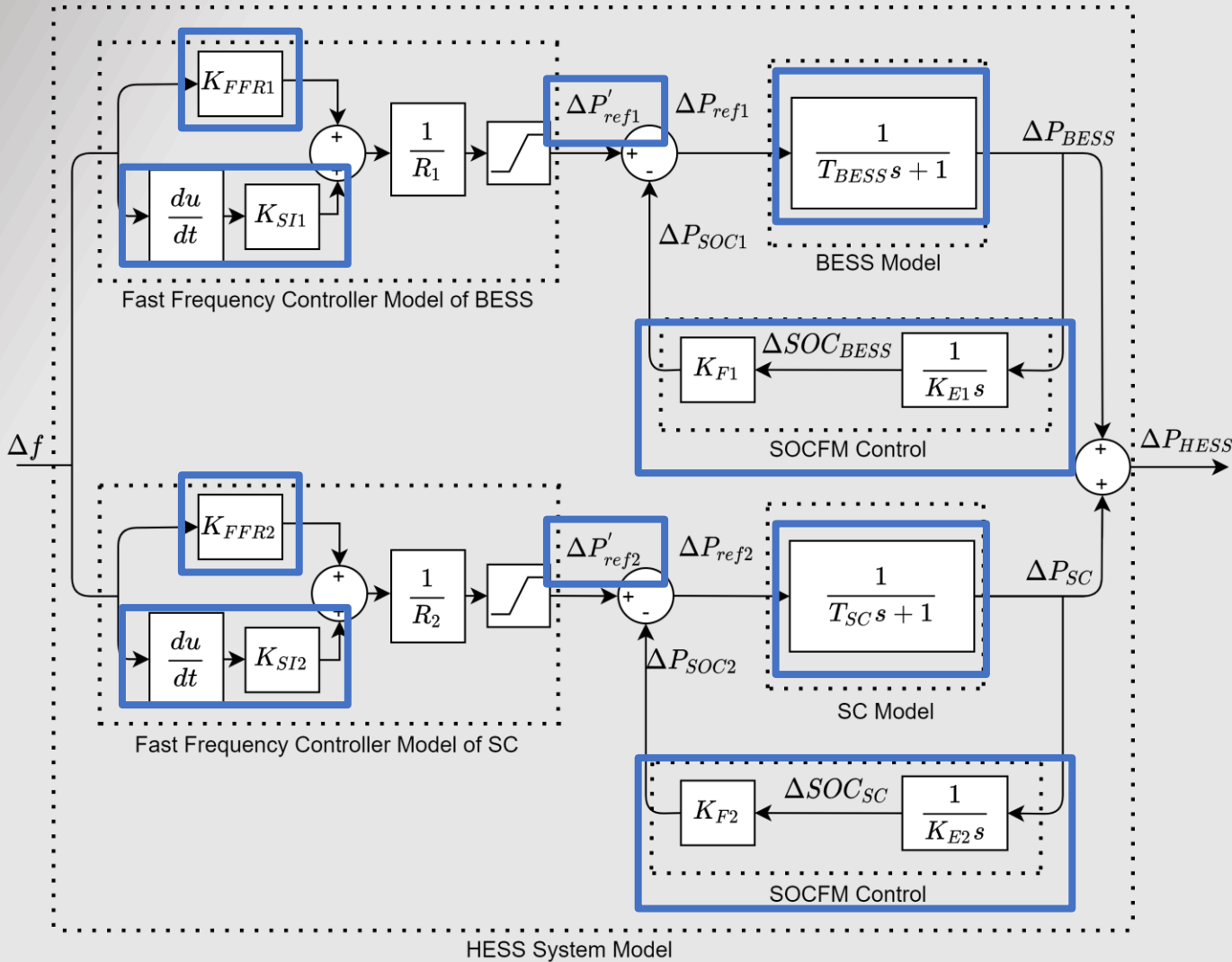
*Fast frequency response is the controlled contribution of electrical power from a unit which responds quickly to changes in frequency in order to counteract the effect of reduced inertial response.*

# A study to provide fast frequency contribution to the power grid

A study has been done to provide to the power grid a mixed contribution of synthetic inertia and fast frequency response



Reference: S. Bruno, G. De Carne, C. Iurlaro, C. Rodio and M. Specchio, "A SOC-feedback Control Scheme for Fast Frequency Support with Hybrid Battery/Supercapacitor Storage System," 2021 6th IEEE Workshop on the Electronic Grid (eGRID), 2021, pp. 1-8, doi: 10.1109/eGRID52793.2021.9662149.



*BESS – higher energy capacity*

*Higher  $K_{FFR1} = 0.8$*

*Lower  $K_{SI1} = 0.2$*

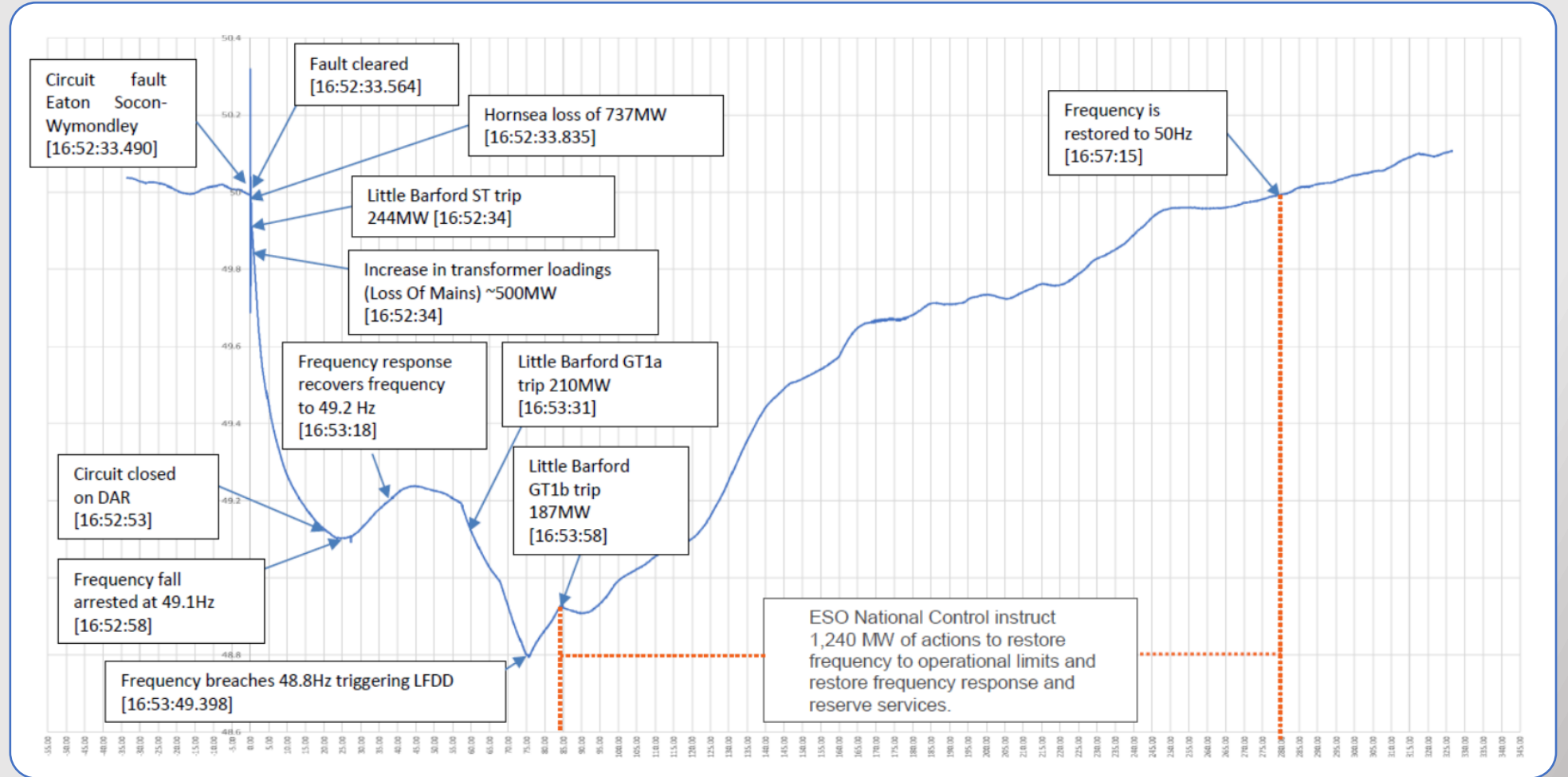
*SC – higher power density*

*Lower  $K_{FFR2} = 0.2$*

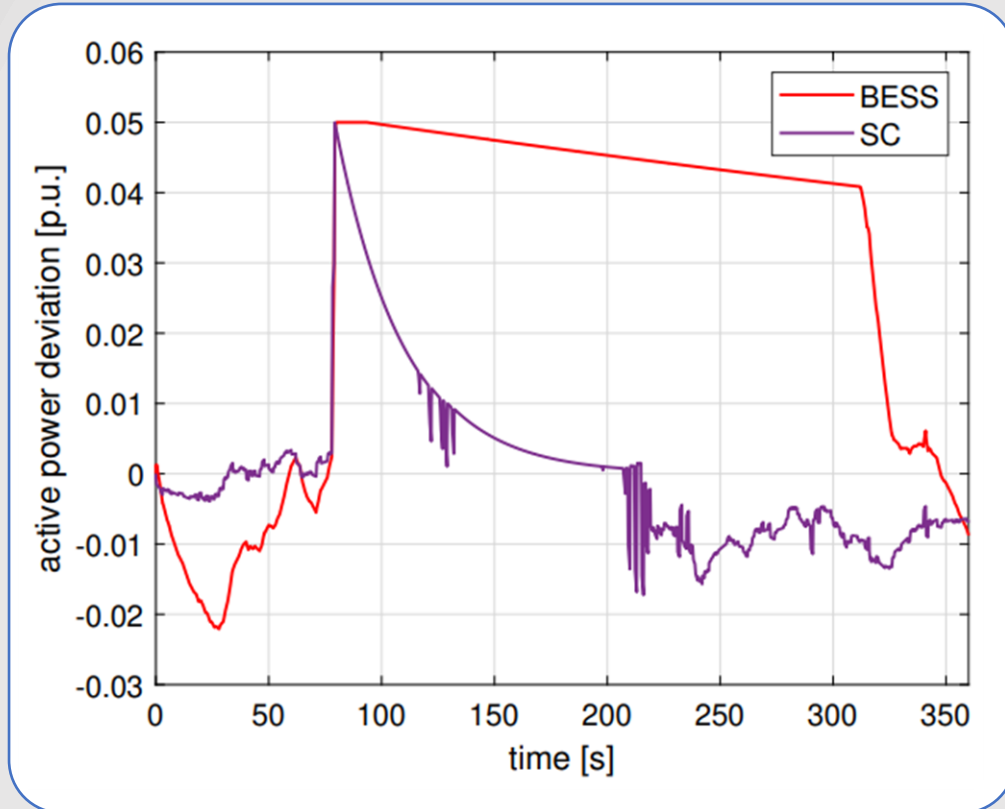
*Higher  $K_{SI2} = 0.8$*



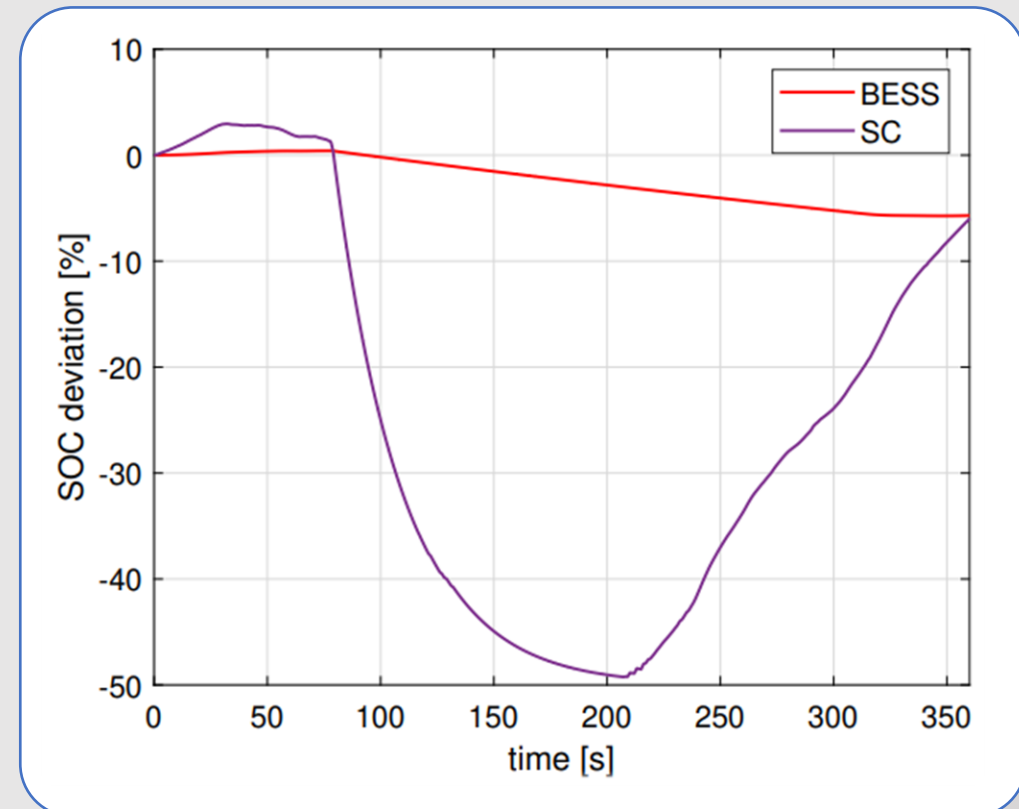
## Great Britain Power System Disruption 9th August 2019



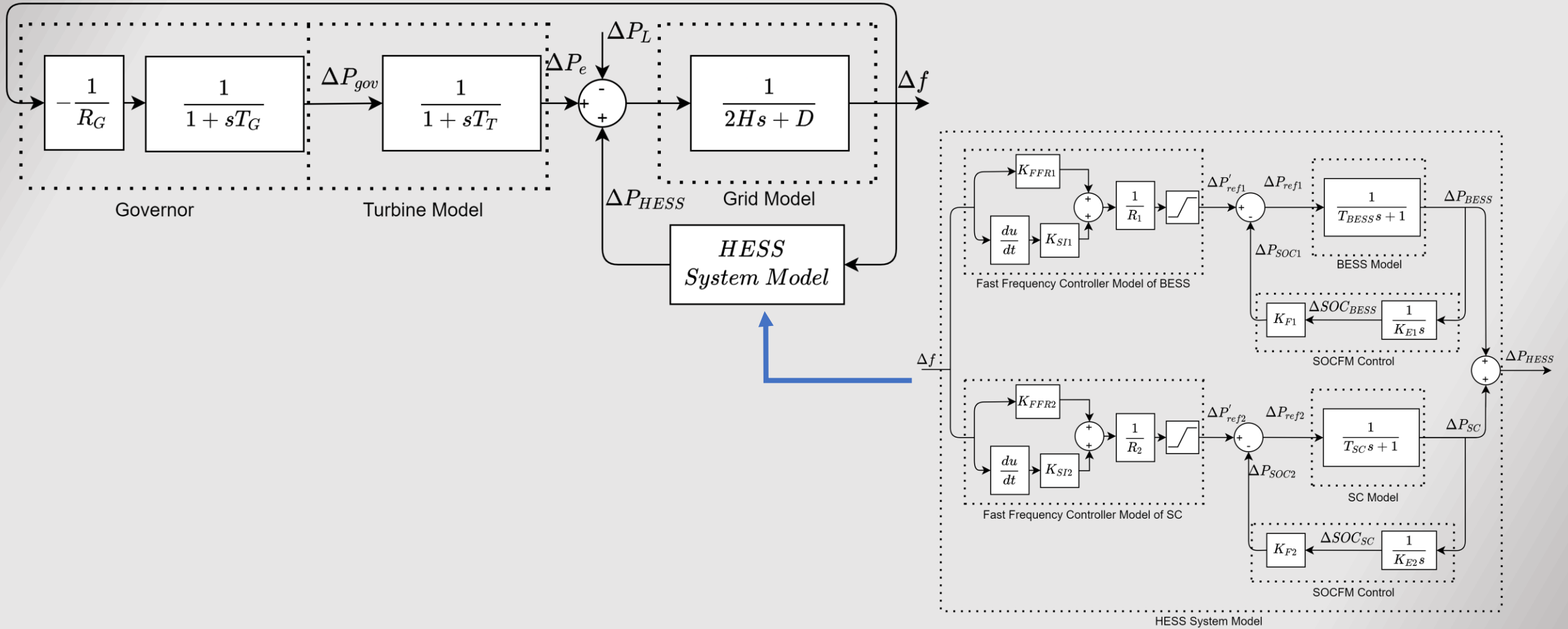
*Active power exchanged by the devices*



*State of charge behaviours*



The overall power system model used.



The fast frequency controllers gains and the gains of the additional control can be optimally tuned by means of a generic optimization algorithm.

The problem to be solved minimized a generically nonlinear function of all system variables:

$$\min_{\mathbf{u}} \int^T f(\mathbf{x}(t), \mathbf{u}, d) \cdot dt$$

subject to a differential set of equations

$$\mathbf{h}(\mathbf{x}(t), \mathbf{u}, d) = 0 \quad \begin{matrix} \mathbf{x} \in \mathbf{X} \\ \mathbf{u} \in \mathbf{U} \end{matrix}$$

$\mathbf{X}$  takes into account all physical constraints and  $\mathbf{U}$  limits the control variables.

that can be expressed in the form:

$$\dot{\mathbf{x}} = \mathbf{A}(\mathbf{u}) \cdot \mathbf{x}(t) + \mathbf{B}(\mathbf{u}) \cdot d$$

where:

• the set of the state variable is:

$$\mathbf{x}^T = [\Delta P_e(t), \Delta f(t), \Delta P_{gov}(t), \Delta P_{BESS}(t), \Delta P_{SC}(t), \Delta SOC_{BESS}(t), \Delta SOC_{SC}(t)]$$

• the set of the control variables is:

$$\mathbf{u}^T = [K_{FFR1}, K_{SI1}, K_{FFR2}, K_{SI2}, K_{F1}, K_{F2}]$$

•  $d$  represents the disturbance  $\Delta PL$  applied at  $t = 0$ .

Through discretization, the dynamic problem formulated in the previous slide can be converted into a static nonlinear problem in the discrete time domain.

$$\min_{\mathbf{u}} F(\hat{\mathbf{x}}, \mathbf{u}, d)$$

subject to the set of discretized differential equations

$$\mathbf{H}(\hat{\mathbf{x}}, \mathbf{u}, d) = 0 \quad \begin{matrix} \hat{\mathbf{x}} \in \mathbf{X} \\ \mathbf{u} \in \mathbf{U} \end{matrix}$$

the state variables at the  $k$ th time step

$$\hat{\mathbf{x}}_k^T = [\Delta P_e^k, \Delta f^k, \Delta P_{gov}^k, \Delta P_{BESS}^k, \Delta P_{SC}^k, \Delta SOC_{BESS}^k, \Delta SOC_{SC}^k]$$

the state variables' simulated trajectory

$$\hat{\mathbf{x}}^T = [\hat{\mathbf{x}}_1^T, \hat{\mathbf{x}}_2^T, \dots, \hat{\mathbf{x}}_{nstep}^T]$$

The function  $F$  is a multi-objective function given by a weighted sum of six different objective functions

$$F(\hat{\mathbf{x}}, \mathbf{u}, d) = \sum_{i=1}^6 \alpha_i J_i(\hat{\mathbf{x}}, \mathbf{u}, d)$$

- $J_1$  minimizes the sum of the frequency variations for each time step
- $J_2$  minimizes the maximum variation in frequency from the initial value.
- $J_3$  and  $J_4$  take into account the energy provided by the components in relation to their maximum capacity and minimize that.
- $J_5$  and  $J_6$  minimize the sum of the active power variation delivered by the components.

$$J_1 = \frac{1}{nstep} \cdot \sum_{k=1}^{nstep} \left( \frac{f^k - f^{k-1}}{f_n} \right)^2 \quad J_2 = \left( \frac{\max |f^k - f_n|}{f_n} \right)^2$$

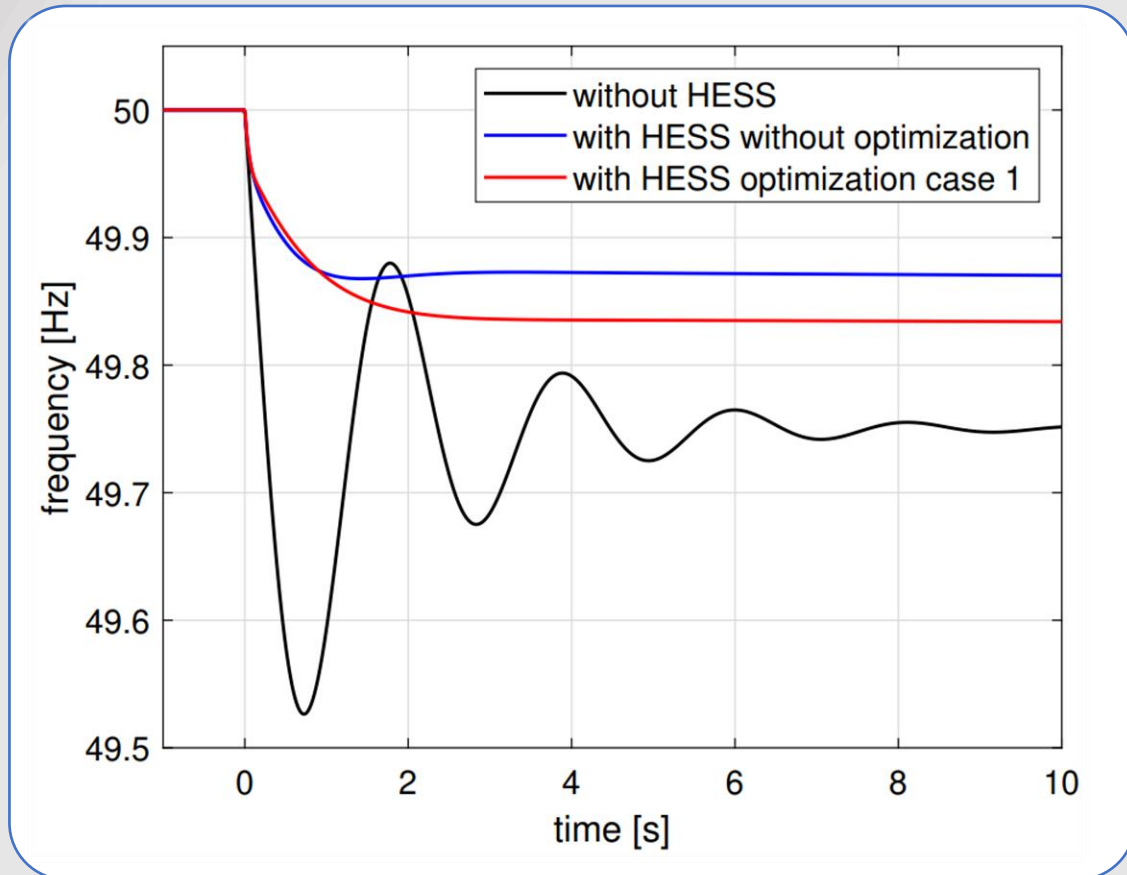
$$J_3 = \frac{1}{nstep} \cdot \sum_{k=1}^{nstep} \left( \frac{P_{BESS}^k \cdot \Delta t}{E_{BESS}} \right)^2 \quad J_4 = \frac{1}{nstep} \cdot \sum_{k=1}^{nstep} \left( \frac{P_{SC}^k \cdot \Delta t}{E_{SC}} \right)^2$$

$$J_5 = \frac{1}{nstep} \cdot \sum_{k=1}^{nstep} \left( \frac{P_{BESS}^k - P_{BESS}^{k-1}}{P_{BESS}^{max}} \right)^2 \quad J_6 = \frac{1}{nstep} \cdot \sum_{k=1}^{nstep} \left( \frac{P_{SC}^k - P_{SC}^{k-1}}{P_{SC}^{max}} \right)^2$$

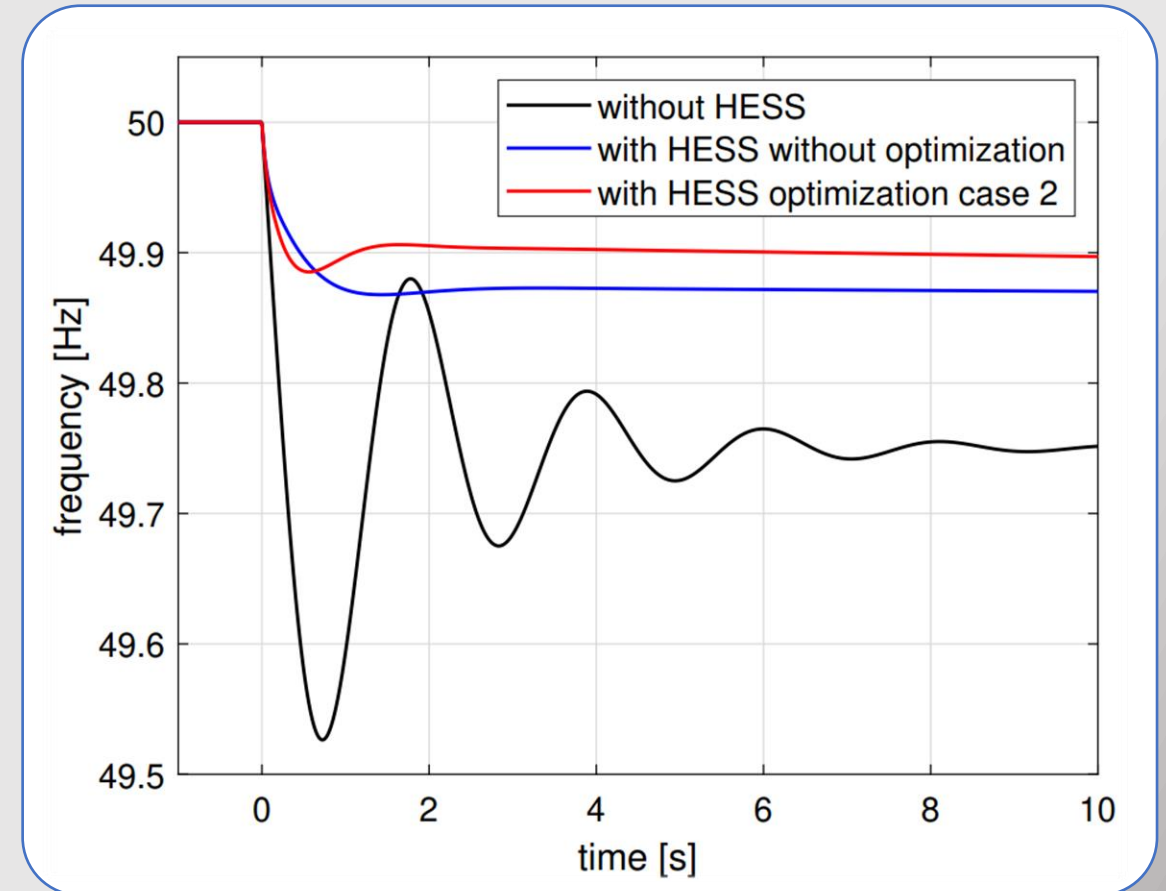
Genetic Algorithm (GA) method is used to solve the problem.

Have been studied 2 different cases provided by 2 different optimizations, changing the weights associated to the functions.

*In Case 1: more importance has been attached to the minimization of  $J_1$ .*

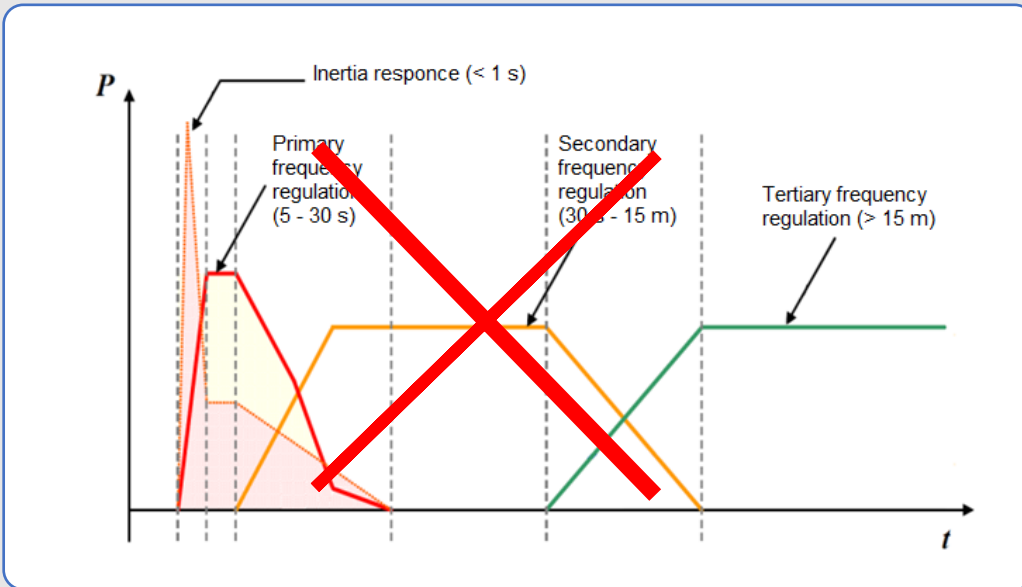


*In Case 2: more importance has been attached to the minimization of  $J_5$ .*

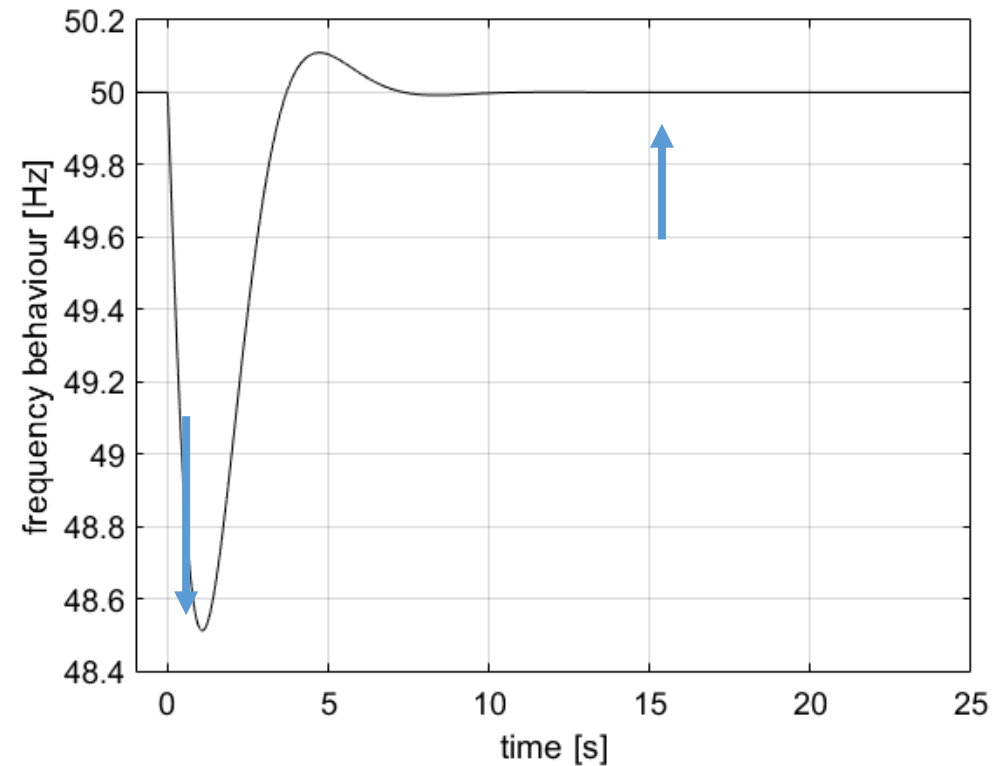


- Islanded systems
- Few generation plants with diesel generators: extremely low inertia system (about 0.3-0.5 seconds)
- High seasonal load variation

*There is not a real differentiation between primary and secondary frequency regulation!*

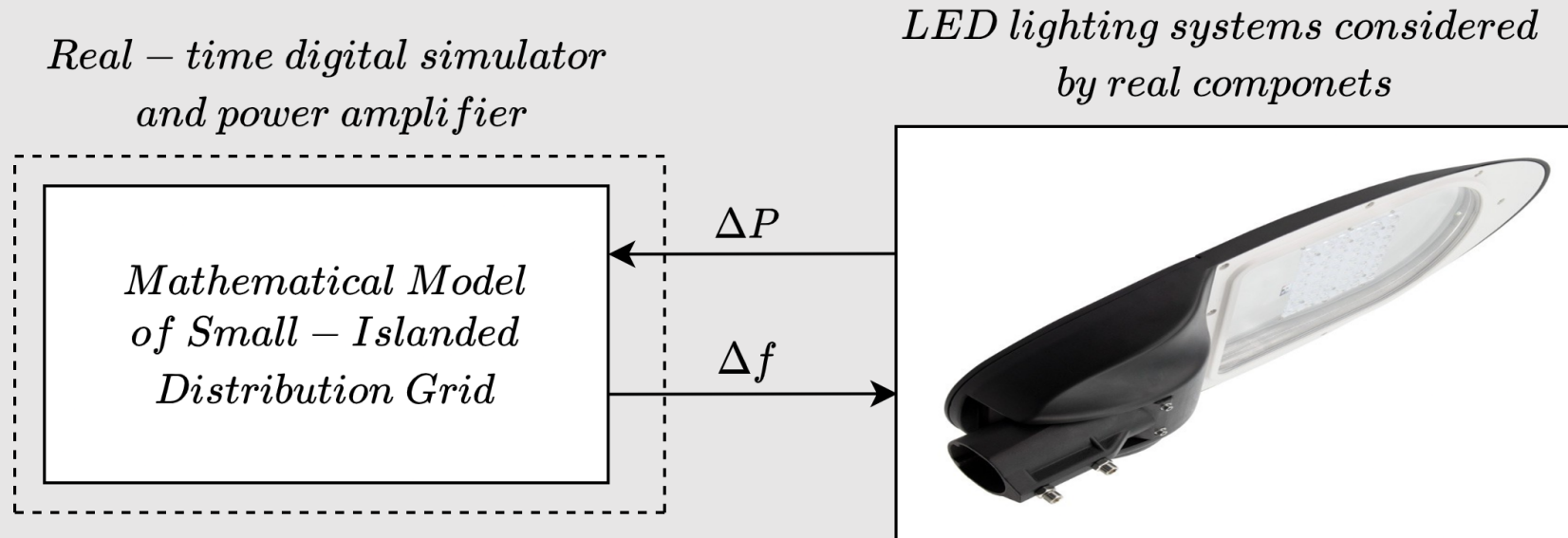


*Usually, a merged frequency regulation is being implemented by the diesel governors.*

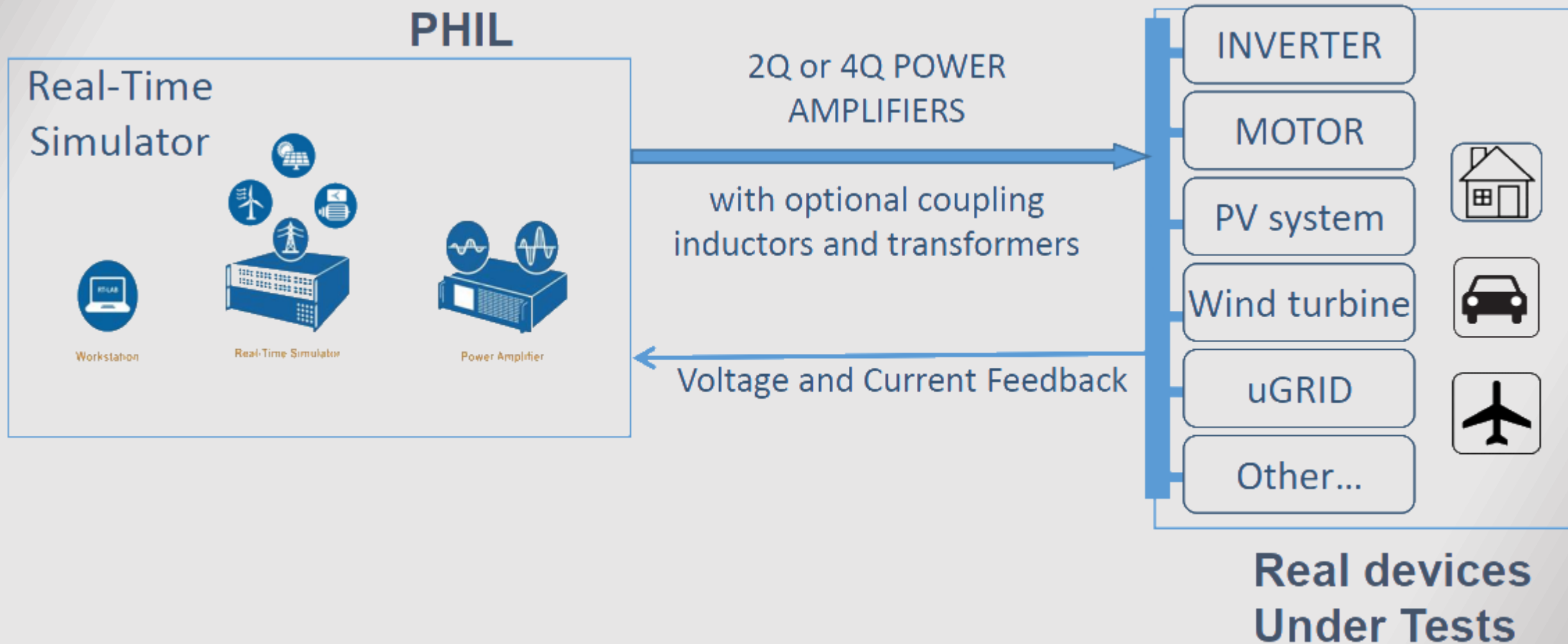


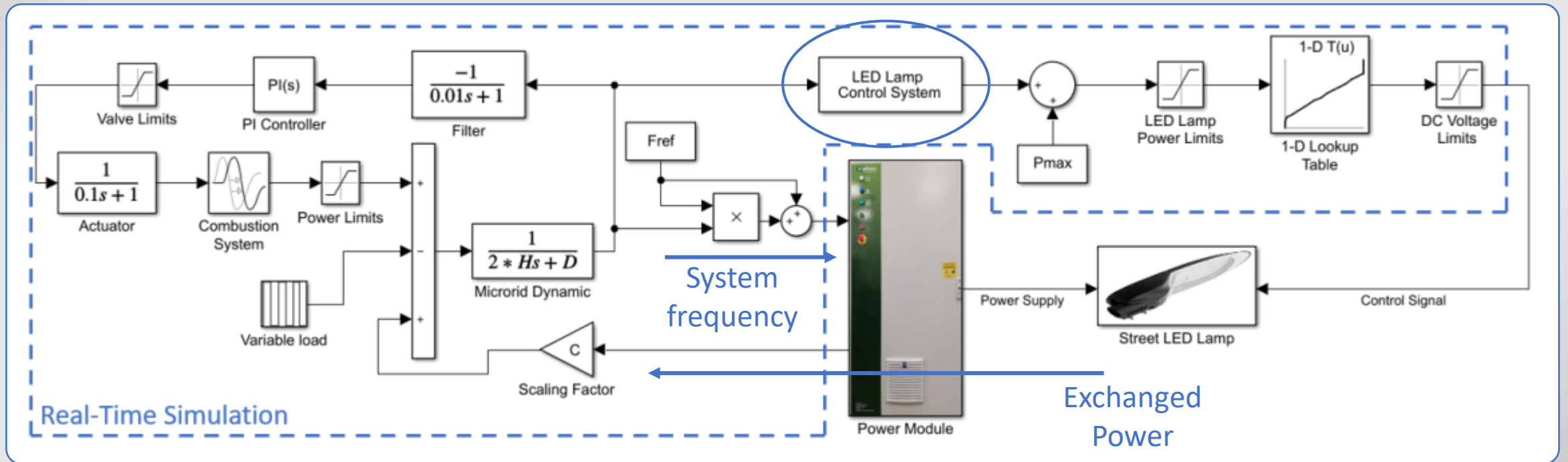
# A study to provide fast frequency contribution in a small-island grid

We wanted to test the contribution that a LED lighting systems can provide to an islanded microgrid to support the frequency transient. We did it modelling a frequency behaviour of an islanded microgrid and introduce in the model the measure of power consumption of a real street lighting LED lamp in a Power Hardware-in-the-Loop simulation.

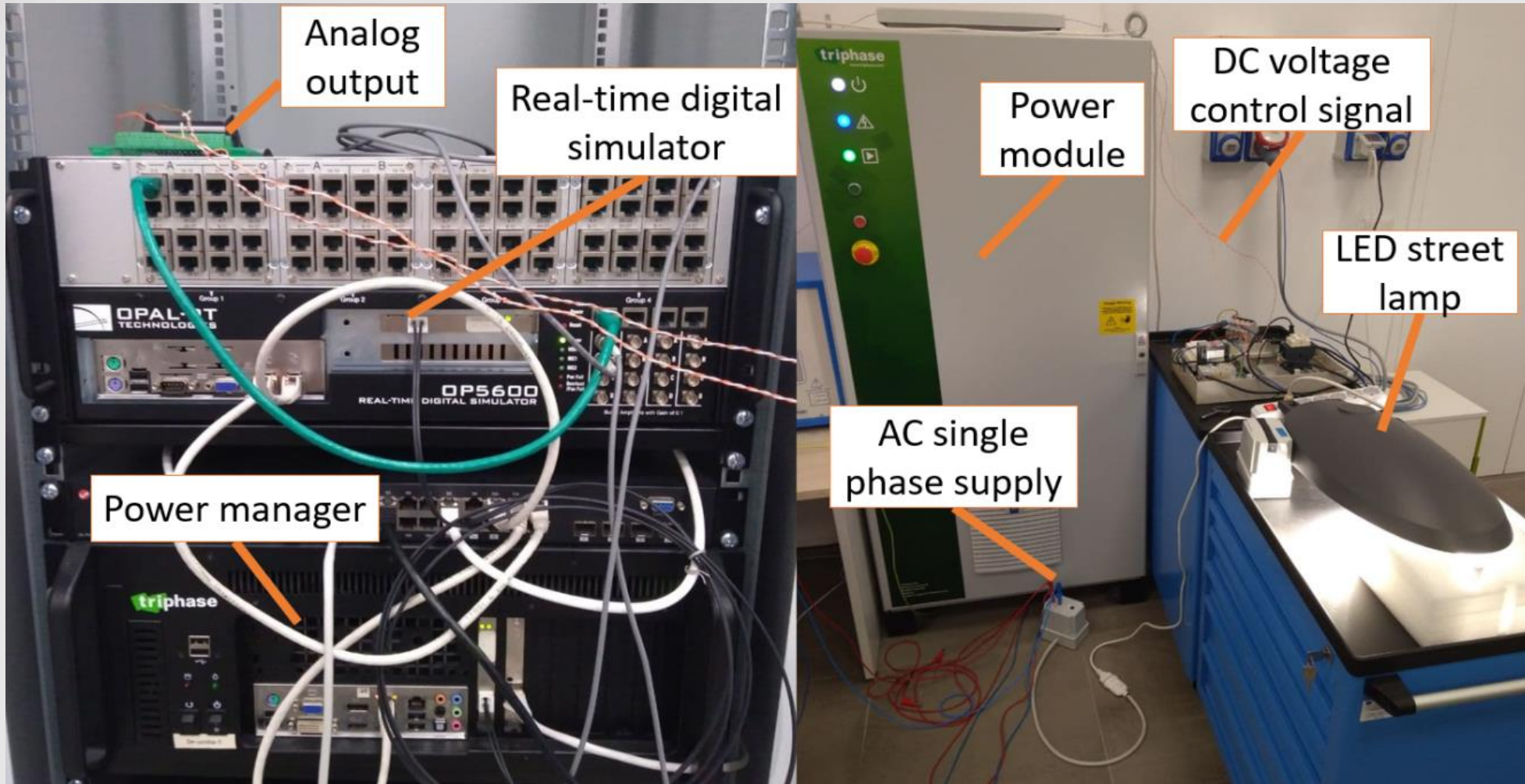






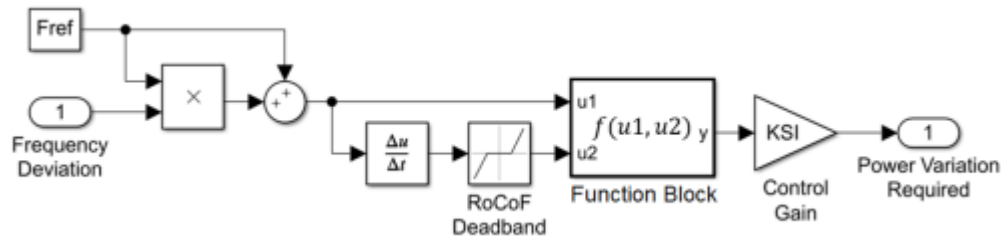


Reference: S. Bruno, G. Giannoccaro, C. Iurlaro, M. L. Scala, C. Rodio and R. Sbrizzai, "Fast Frequency Regulation Support by LED Street Lighting Control," 2021 IEEE International Conference on Environment and Electrical Engineering and 2021 IEEE Industrial and Commercial Power Systems Europe (EEEIC / I&CPS Europe), 2021, pp. 1-6, doi: 10.1109/EEEIC/ICPSEurope51590.2021.9584577.



Two controllers have been studied:

## Synthetic Inertia Controller

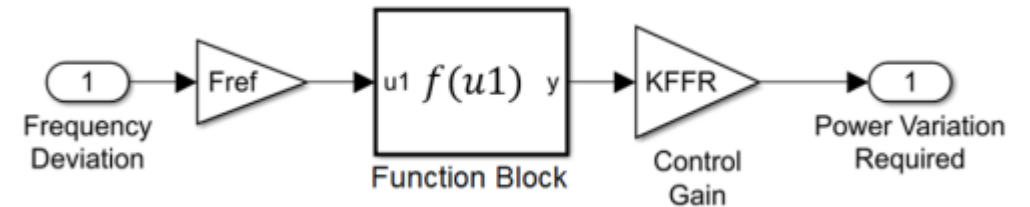


The *Function Block* applies RoCoF signals to the following gain block only if frequency deviations have the same sign of RoCoF itself.

A RoCoF deadband of  $\pm 10$  mHz/s has been introduced.

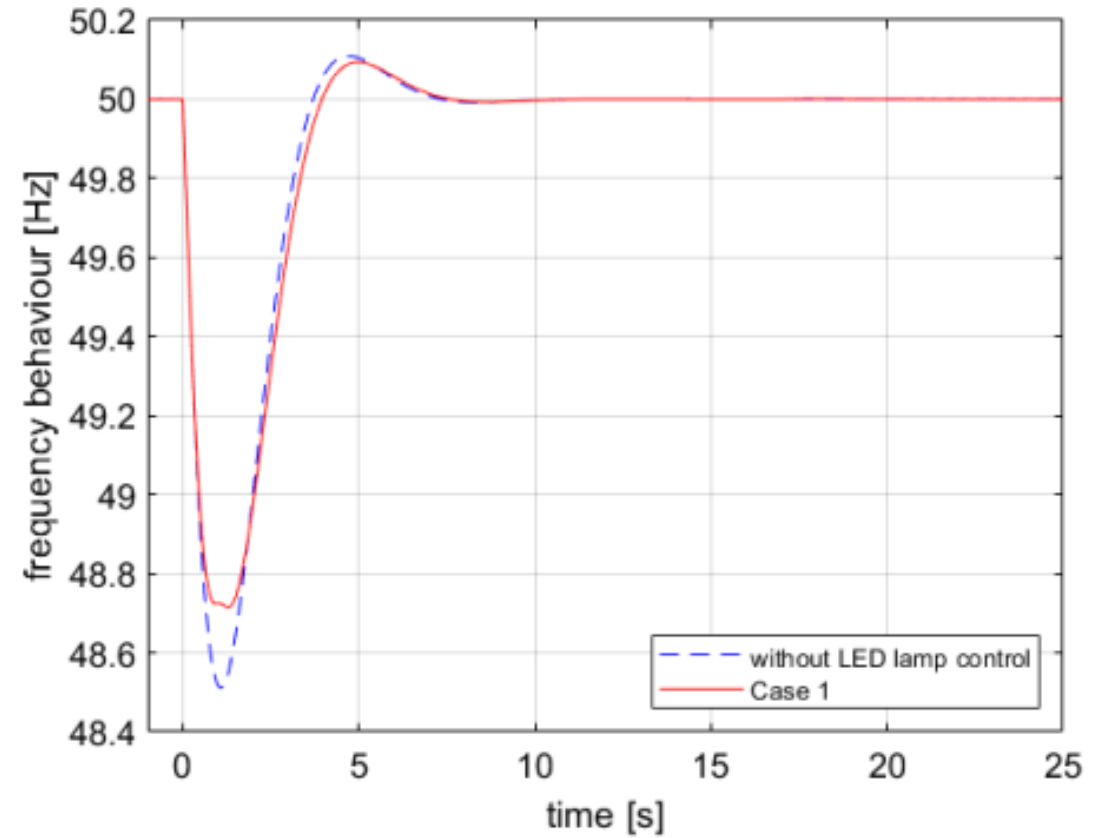
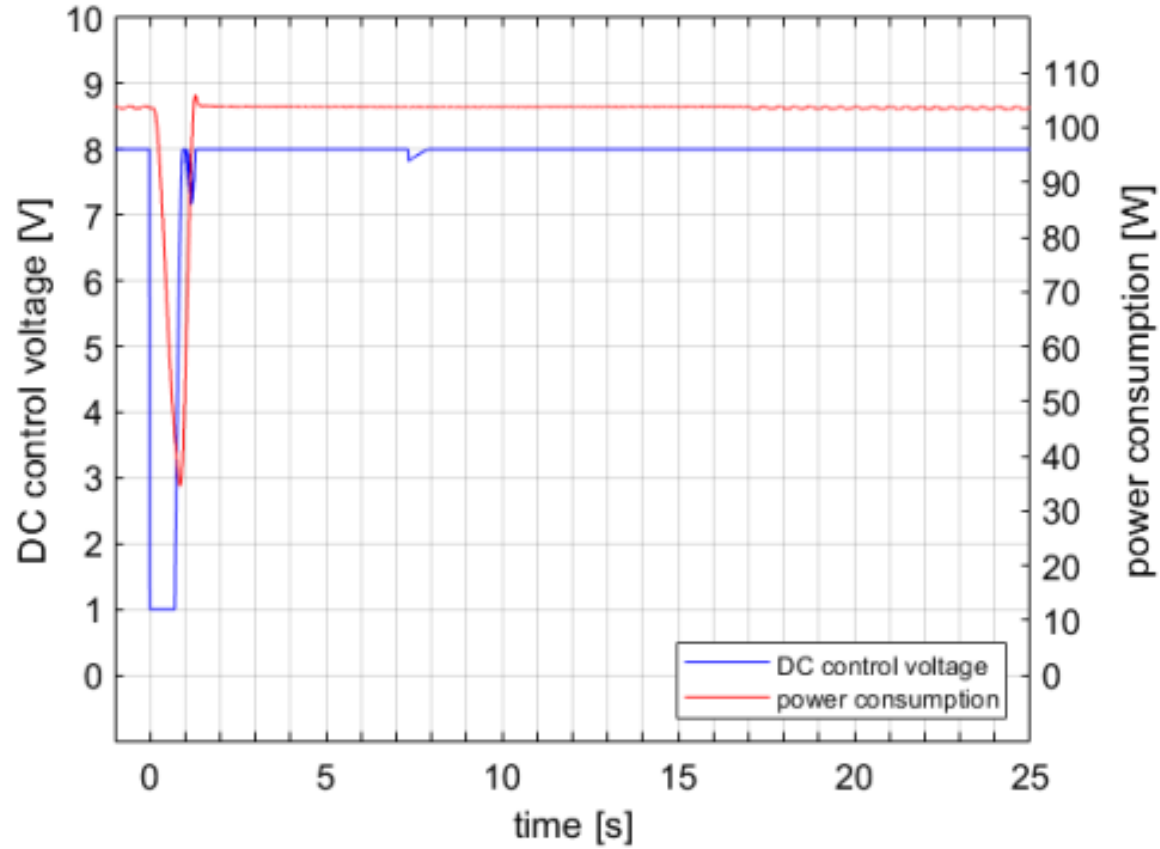
The gain constant *KSI* was chosen so that the maximum power variation is applied for a RoCoF higher than 0.5 Hz/s.

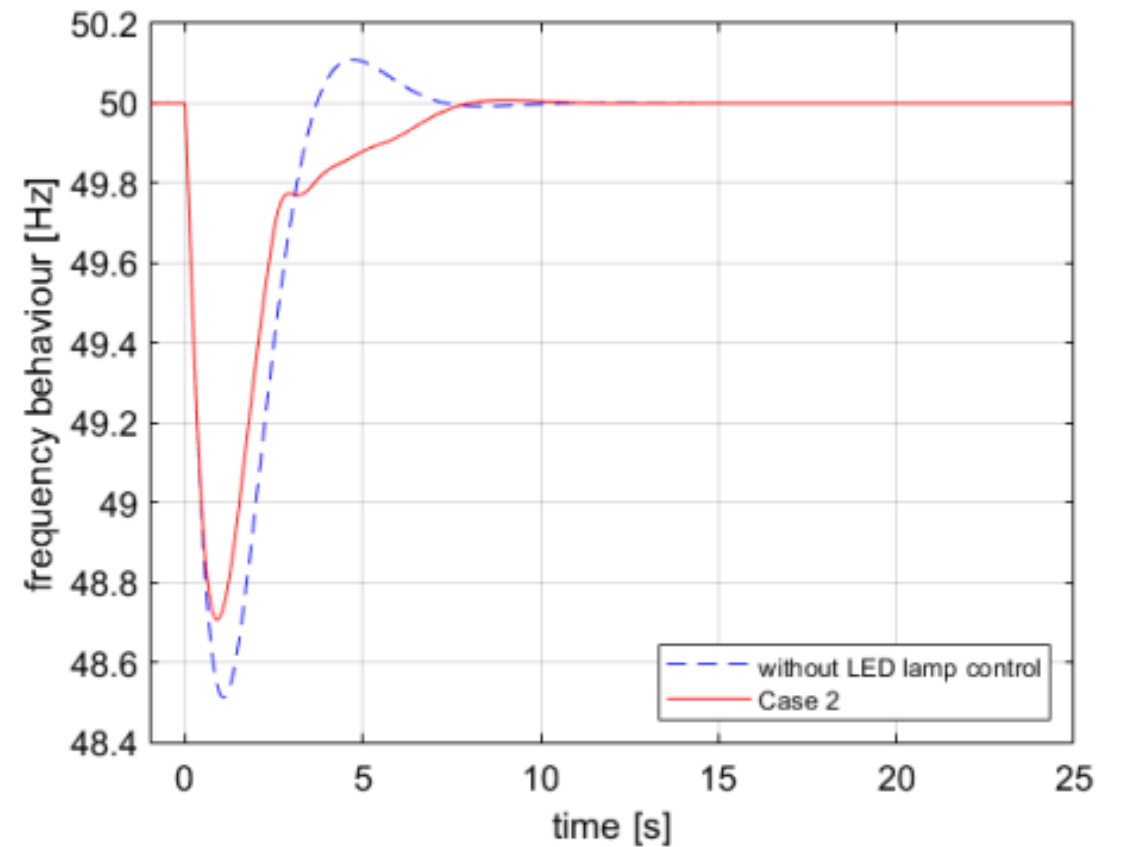
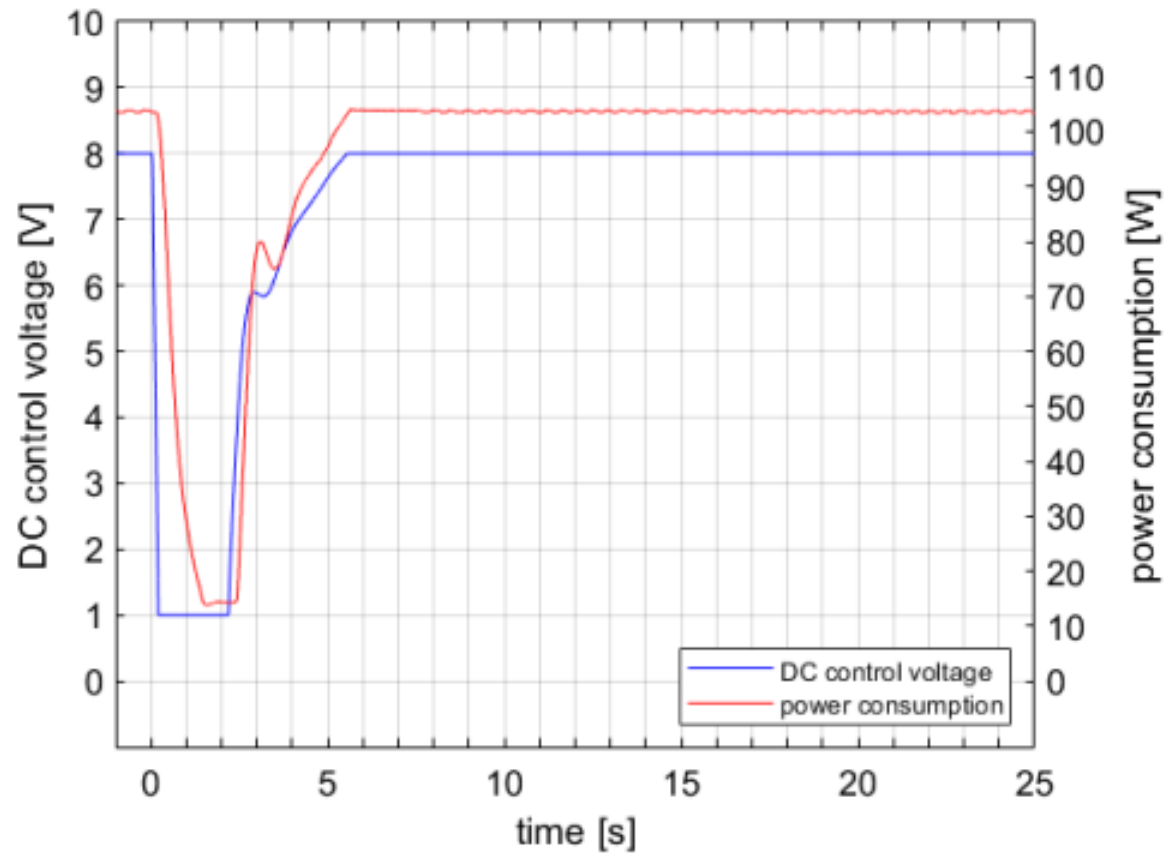
## Fast Frequency Response Controller



The *Function Block* applies a deadband of  $\pm 0.1$  Hz around 50 Hz and gives to the following gain block the frequency deviation starting from 49.9 Hz (downward regulation) and 50.1 Hz (upward regulation).

The gain constant *KFFR* was chosen so that the maximum power variation is applied for a frequency deviation higher than 0.5 Hz.





Synthetic Inertia Controller



Fast Frequency Response Controller



In the first study shown in this seminary has been demonstrated that an Hybrid Energy storage system, composed by battery and supercapacitor, can be exploited to improve power system frequency response.

It has been shown how, through targeted optimization of control parameters, it is possible to derive controller parameters in order to achieve an improvement in frequency response and/or avoid excessive component stress.

In the second study, the experimental tests, carried out through a Power Hardware-in-the-Loop set-up, showed the ability of LED lighting systems to provide fast frequency response.

The contribution made by these systems is small but not negligible and can be important in systems with few flexible resources.

Fast frequency response control is perfect for square, park and private lighting systems while the synthetic inertia control is perfect for street lighting system where the illumination flux must be over a certain value defined by safety standards.



*Thanks for your attention*